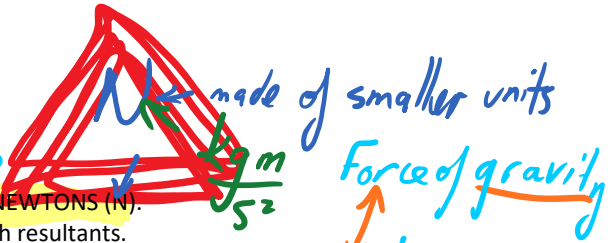


Forces ← Dynamics

Tuesday, December 07, 2010 1:59 PM

Whales ≠ humans



A force is any push or pull. Forces are measured in units of NEWTONS (N).
Forces are vectors, which may mean tip-to-tail diagrams with resultants.

Force of gravity (F_g)
 $F_g = mg$ m is mass of object in kg, g gravitational field (On Earth : 9.8 m/s^2)
 Only works near Earth's surface

Calculate the force of gravity at the Earth's surface on a non-physics student of mass 60 kg and IQ 26.

$F_g = mg$

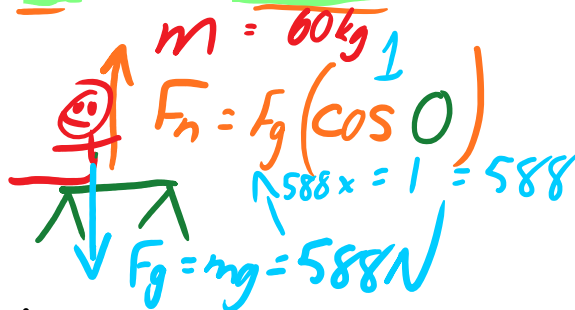
$F_g = mg = (60)(9.8)$
 $= 588 \text{ N}$

Normal Force (F_n)

Supporting force exerted by a surface AT 90° to the surface which holds a mass in place

$F_n = F_g \cos \theta$ where θ is the angle of the surface from horizontal

Not on formula sheet



$F_g = 686 \text{ N}$

A 3.0 kg cat is placed on a stove burner which is red hot. What normal force is exerted on the cat by the burner if the burner is inclined at 30° ?

$= mg \cos \theta$
 $3(9.8) \cos 30$
 5.5 N



direction of motion tells you / which way F_f is.

Force of Friction (F_f)

This is force which resists motion due to the grinding together of molecules.

$F_f = \mu F_n$

μ is called the coefficient of friction <= is a value which describes how sticky 2 surfaces are
 Wet roads have a coefficient of friction of 0.20, a 1000 kg car is on a level, wet road.

Find the force of friction on that car.

Low: 0.001 ← ice & anything
 High: close to 1.00 ← rubber on building surfaces
 $(0.2)(9800) =$

High - close to 1.00

$$F_f = \mu F_n$$

$$F_n = F_g \cos \theta = 9800 \cos 0 = 9800 \text{ N}$$

$$F_f = 0.2(9800) = 1960 \text{ N}$$

$$F_g = mg = 1000(9.8) = 9800 \text{ N}$$

Dry roads have $\mu = 0.60$, how many times more force of friction is on a dry road than a wet road?

$$F_f = \mu F_n$$

$$(.6) 9800 = 5880 \text{ N}$$

$\mu = .6(3) \text{ } \mu \text{ of } .2$
old force $\times 3 = 5880 \text{ N}$

Elastic Force (Fe)

This is the force which acts to restore the shape of a deformed object

- $F_e = kx$
- k spring constant (N/m) and high values (1000's) show a really stiff object, low values (10's) show really stretchy objects.
- x is the distance you stretch or compress the object in METERS.

A cat has $k = 12 \text{ N/m}$ and is 45 cm long. You stretch the cat to 50 cm, how much force did you use?

$$x = 50 - 45 = 5 \text{ cm} \rightarrow \text{change to meters}$$

$$\frac{5 \text{ cm}}{100} = .05 \text{ m}$$

$$F_e = kx = 12(.05) = 0.60 \text{ N}$$

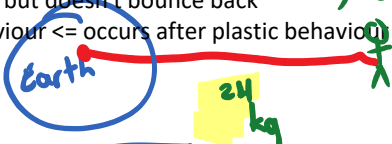
$6.67 \times 10^{-11} \text{ N m}^2$

Elastic behaviour is when you apply a force to deform object, remove F and it bounces back

Elastic limit \Leftarrow the point when an object displays plastic behaviour

\Leftarrow stretches but doesn't bounce back

Brittle behaviour \Leftarrow occurs after plastic behaviour when the object fails (break)



A rubber band of length 15 cm and spring constant 12 N/m experiences a force of 0.05 N. What is

- The amount it stretches
- The new length

$$15 \text{ cm} \rightarrow .15 \text{ m}$$

$$F_g = 6.67 \times 10^{-11} (60) 5.98 \times 10^{24}$$

$$= \frac{(1.28 \times 10^7)^2}{(12)^2} = 4.16 \times 10^4 \text{ kg}^2$$

constant

\rightarrow The Force of Gravity Between ANY 2 masses:

$F_g = mg \Leftarrow$ works for finding the force of gravity between 1 mass and Earth near Earth's surface

We cannot use this if: 1) the force of gravity does not involve the Earth
2) we're not near* the Earth's surface

$$F_g = mg$$

random mass \rightarrow Earth
one to be big
small \rightarrow

*near = 10 km or less

0.0000000000667

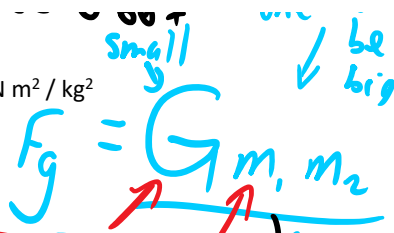
NEWTON'S LAW OF UNIVERSAL GRAVITATION

$F_g = G \frac{m_1 m_2}{r^2}$ $G = \text{universal gravitational constant} = 6.67 \times 10^{-11} \text{ N m}^2 / \text{kg}^2$

NEWTON'S LAW OF UNIVERSAL GRAVITATION

$$F_g = \frac{G m_1 m_2}{d^2}$$

G = universal gravitational constant = $6.67 \times 10^{-11} \text{ N m}^2 / \text{kg}^2$
 m_1 = 1st mass in kg
 m_2 = 2nd mass in kg
d = distance between the CENTRES of the masses
(for a planet use the radius of the planet)
 $r_e = 6.38 \times 10^6 \text{ m}$
 $m_e = \text{mass of Earth} = 5.98 \times 10^{24} \text{ kg}$



7 8 9
4 5 6
1 2 3 exp
0 □ □

$$F_g = \frac{6.67 \times 10^{-11} \times 5.98 \times 10^{24}}{(6.38 \times 10^6)^2} = 590 \text{ N}$$

(Note: The handwritten calculation shows 6.67-11 x 60 x 5.98 x 10^24 / (6.38 x 10^6)^2 = 590 N)

Calculate the force of gravity on a random physic kid (65 kg) on the moon, where $r_m = 1.74 \times 10^6 \text{ m}$, $m_m = 7.35 \times 10^{22} \text{ kg}$.

$$F_g = \frac{G m_1 m_2}{d^2} = \frac{6.67 \times 10^{-11} \times 65 \times 7.35 \times 10^{22}}{(1.74 \times 10^6)^2} = 105 \text{ N}$$

The total of all forces: F_{net}

Calculate the force of gravity between Strachan (72 kg) and his coffee cup 1.0 kg if the centers are separated by 1.2 m

$$F_g = \frac{G m_1 m_2}{d^2} = \frac{6.67 \times 10^{-11} \times 72 \times 1}{1.2^2} = 3.3 \times 10^{-9} \text{ N}$$

~~$F_{net} \text{ causes } a = \frac{G m_1 m_2}{r^2}$~~
 $F_{net} = m a$
 $F_{net} = 98 \text{ N}$

F_{net} = total of all forces
Find F_{net} by adding the forces (look at their directions)

$$F_f = 4.0 \text{ N} \quad \therefore \quad F_{pull} = 10 \text{ N}$$



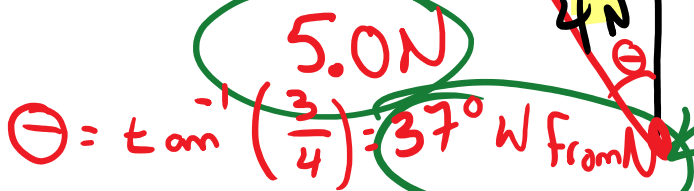
Newton's 1st Law: If there is no F_{net} ($F_{net} = 0$) then the object stays at constant speed.

Newton's 2nd Law: For an object to accelerate there must be a F_{net} not zero

$$a = \frac{F_{net}}{m}$$

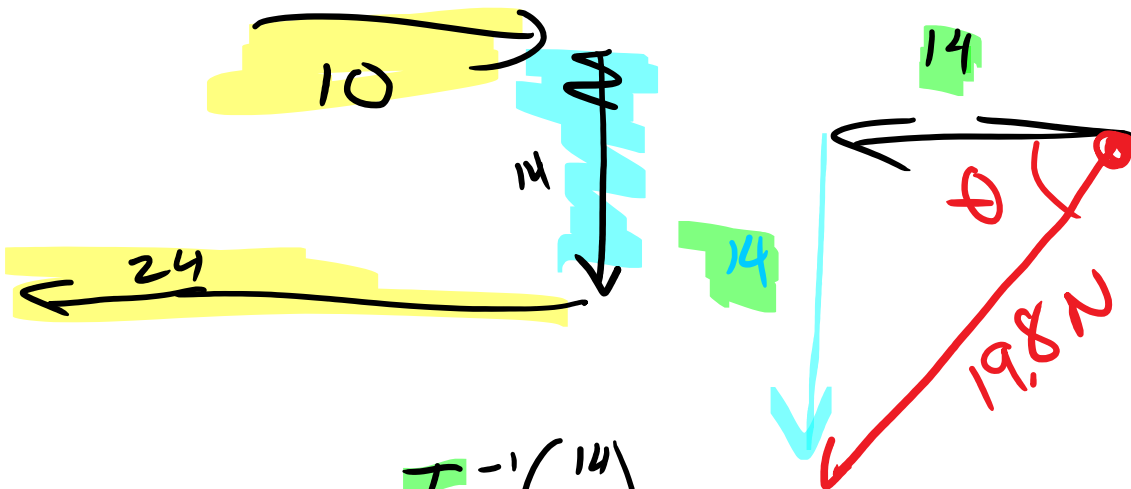
A cat had 2 force acting on it, 4.0 N [N]

3.0 N [W] , if the cat has $m = 10 \text{ kg}$ find its acceleration



$$a = \frac{F_{net}}{m} = \frac{5}{10} = 0.5 \frac{\text{m}}{\text{s}^2}$$

A cat is pulled by 3 forces, 10 N [E] , 14 N [S] , and 24 N [W] . The cat has an acceleration of 2.25 m/s^2 find its mass.



$$\frac{F_{\text{net}}}{m} = a$$

$$\tan^{-1}\left(\frac{14}{14}\right) = \theta = 45^\circ \text{ S from W}$$

$$\frac{F_{\text{net}}}{a} = m$$

$$\frac{19.8 \text{ N}}{2.25 \frac{\text{m}}{\text{s}^2}} = 8.8 \text{ kg}$$