

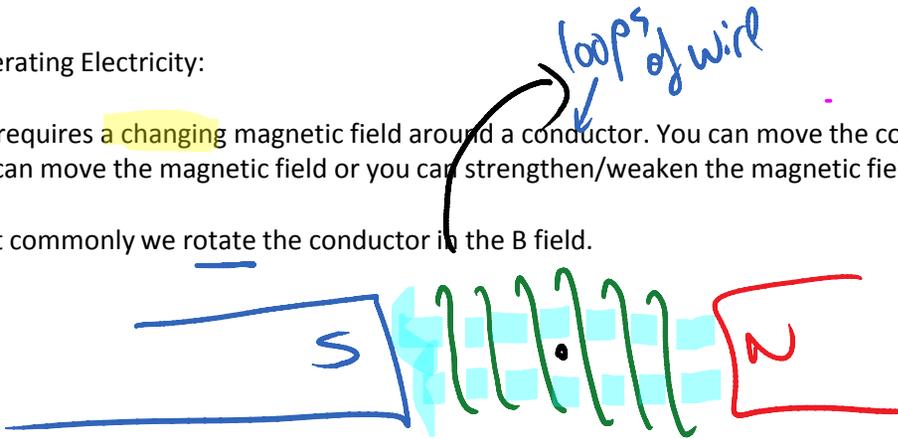
Faraday's Law and Lenz's Law

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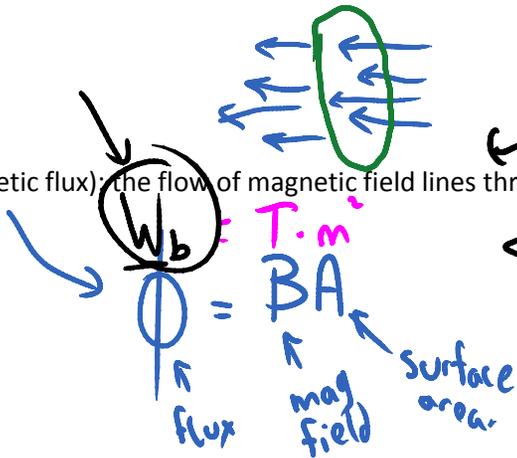
Generating Electricity:

This requires a **changing** magnetic field around a conductor. You can move the conductor in the magnetic field, or you can move the magnetic field or you can strengthen/weaken the magnetic field.

Most commonly we rotate the conductor in the B field.



Flux (magnetic flux): the flow of magnetic field lines through an area



When you break Webers ← you generate Voltage

Faraday's Law: An EMF (voltage) is generated any time a flux is changed. The **faster** you change the flux The **greater the EMF** produced.

$$\mathcal{E} = -n \frac{\Delta\Phi}{\Delta t}$$

n = # of loops or turns in a solenoid
 $\Delta\Phi$ change in flux
 Δt change in time

Lenz's Law ← allows us to conserve energy without the (-) Faraday's Law would produce infinite energy

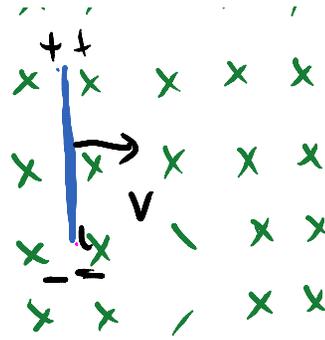
Whatever F_b is created must oppose the $\Delta\Phi$ in order to conserve energy. Otherwise you will get infinite energy out.
 Faraday's Law for a linear conductor:

$$\mathcal{E} = B l v$$

l ← length of conductor
 v ← velocity



$\mathcal{E} = B \times v$
 length of conductor \leftarrow velocity



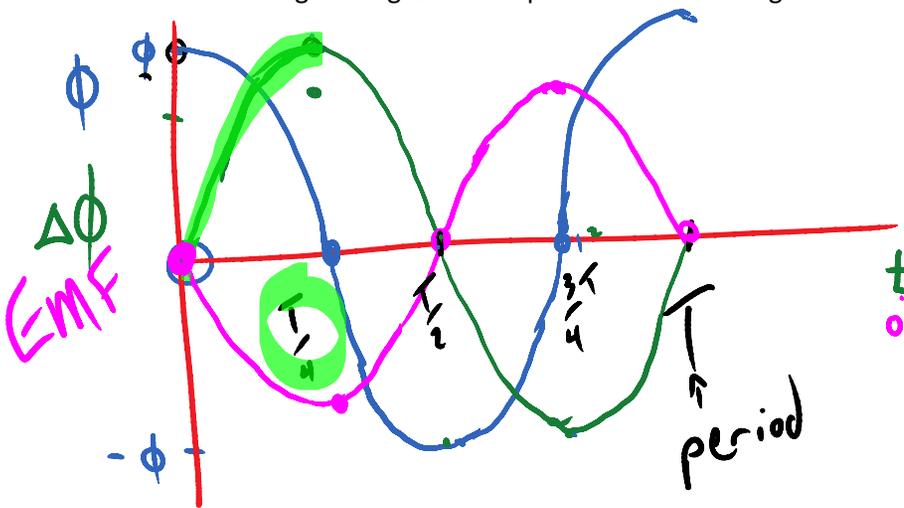
For linear conductors, which end becomes positive?

\uparrow RH motor Rule

\uparrow think about the protons in conductor

\swarrow higher frequency gives more EMF

The faster the flux changes the greater the potential difference generated



$$\mathcal{E} = -n \frac{\Delta\phi}{\Delta t}$$

EMF max (-) when $\Delta\phi$ max

EMF is max when ϕ min

EMF is a maximum when $\Delta\phi$ is a maximum
 $\Delta\phi$ is a maximum when ϕ is a minimum

$$\frac{N}{2} \rightarrow 2n \text{ on } p. \text{ } n \text{ } n^2 \text{ } n^3 \quad n=2$$

4,5 p 252

1,2 p 256

$$\mathcal{E} = -n \frac{\Delta\phi \times 4}{T} \text{ in terms of } f$$

$$\mathcal{E} = -4n\Delta\phi f$$

\uparrow magnets \rightarrow coils

Lenz's Law: this is the negative in Faraday's Law it states that the induced EMF must oppose the change in flux that created it.



$\uparrow \frac{\Delta\phi}{\Delta t}$
 the induced EMF will cause current to flow that opposes

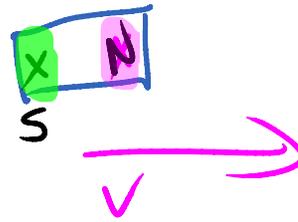
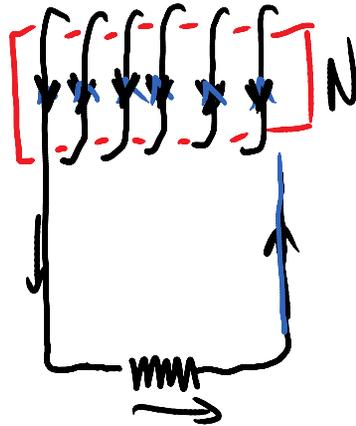
Generator frequency: the faster an armature rotates the smaller Δt is and larger the EMF generated. This means the armature has higher frequency and Δt could be replaced with

Generator frequency: the faster an armature rotates the smaller Δt is and larger the Emf generated. This means the armature has higher frequency and Δt could be replaced with _____ f.

induced emf will cause current to flow that opposes the change
Current caused by induced emf through resistor from B to A
 $\Delta t = \frac{1}{4}$ BA to OA

The main effect of Lenz's Law is that any induced (created) EMF by changing a magnetic flux will cause a current to flow that opposes the initial change.

Determine the pole labelled X in the magnet below:



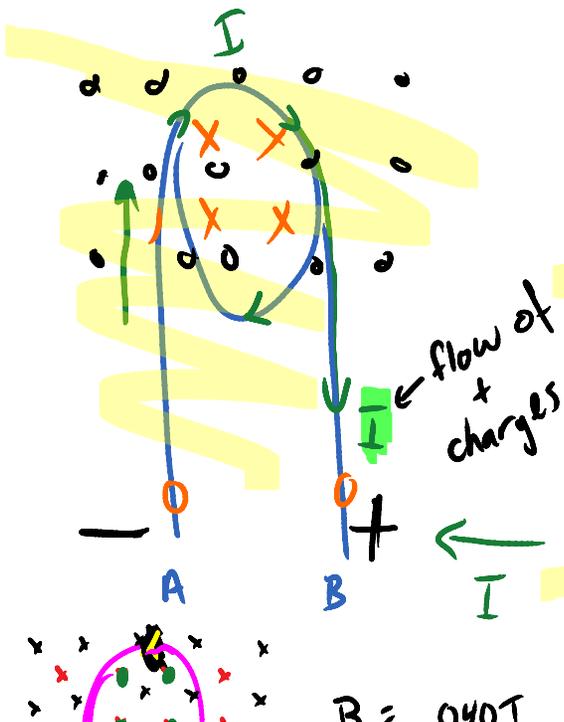
LENZ'S LAW

What is the solenoid's response to an oncoming south pole?

$$\mathcal{E} = -n \frac{\Delta \phi}{\Delta t}$$

What direction is the current through the resistor?

Emf produced in turns of solenoid will be **OPPOSITE** to $\Delta \phi$ that creates it.

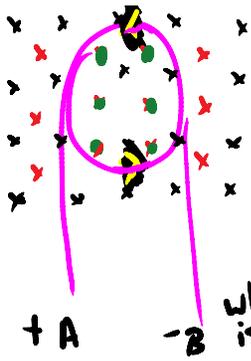


Reverse B

What is the response of the solenoid? will create a mag field to be like original

$R = n \Delta t$ If the change

$\Delta \phi$ (0.08 - 0.04)



$B_0 = .040\text{T}$ If the change in B occurred in 0.50s , there are 100 turns of radius 2.0cm find the EMF between A and B
 $B_f = .080\text{T}$
 which side is +?

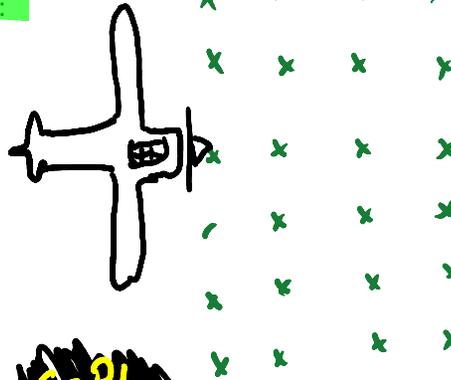
$$\mathcal{E} = -\frac{n\Delta\Phi}{\Delta t}$$

$$\mathcal{E} = -\frac{100 \Delta B \pi (.02)^2}{.50}$$

$$= -0.010\text{V}$$

The EMF in a Linear Conductor:

$$\mathcal{E} = -\frac{n\Delta\Phi}{\Delta t}$$



~~$\mathcal{E} = Blv$~~

$$5 \times 10^{-4} (60) 200 = 6.0\text{V}$$

Wing span = 60m
 $B = 5.0 \times 10^{-4}\text{T}$
 find the EMF induced between wing tips at $v = 200\text{m/s}$

$\mathcal{E} = Blv$ ← + particles will feel a force according to the RH Motor Rule

Three ways to induce EMF

- 1) Change the magnetic field ($\Delta\Phi \propto \Delta B$)
- 2) Rotate a coil or magnet ($\Delta\Phi \propto \Delta A$)
- 3) Change the shape of the coil